

Object-class Segmentation using Higher order CRF

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ECCV 2008

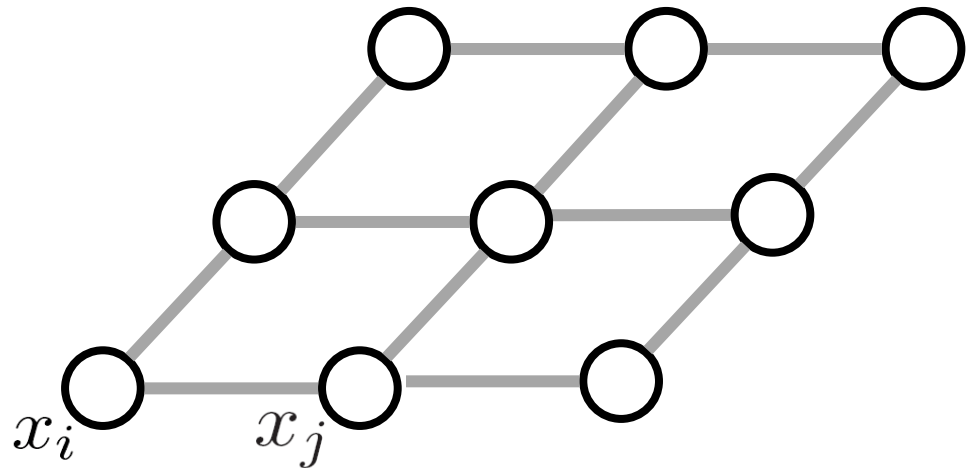
Object Segmentation using CRFs

CRF Energy

$$E(\mathbf{x}) = \sum_{i \in \mathcal{V}} \psi_i(x_i) + \sum_{i \in \mathcal{V}, j \in \mathcal{N}_i} \psi_{ij}(x_i, x_j) + \sum_{c \in \mathcal{S}} \psi_c(\mathbf{x}_c)$$

Labels - set of object classes
{ background, bird, car, ..}

x_i - label of pixel i

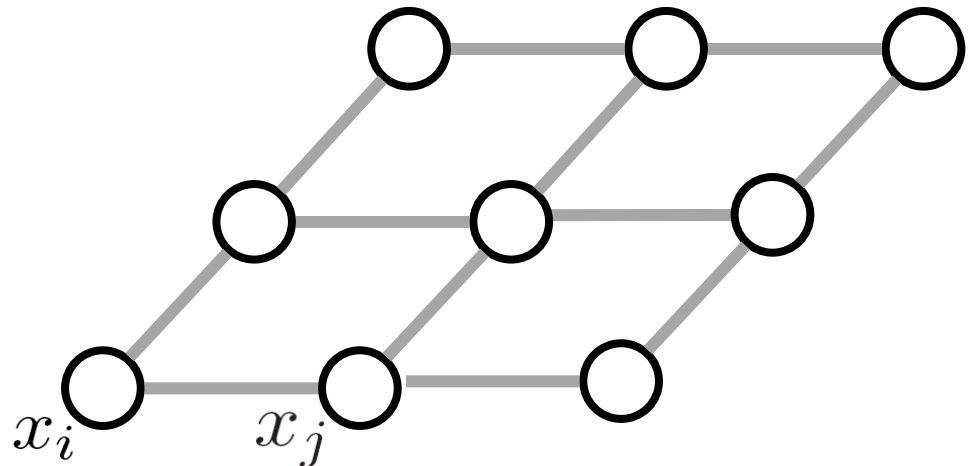


Object Segmentation using CRFs

CRF Energy

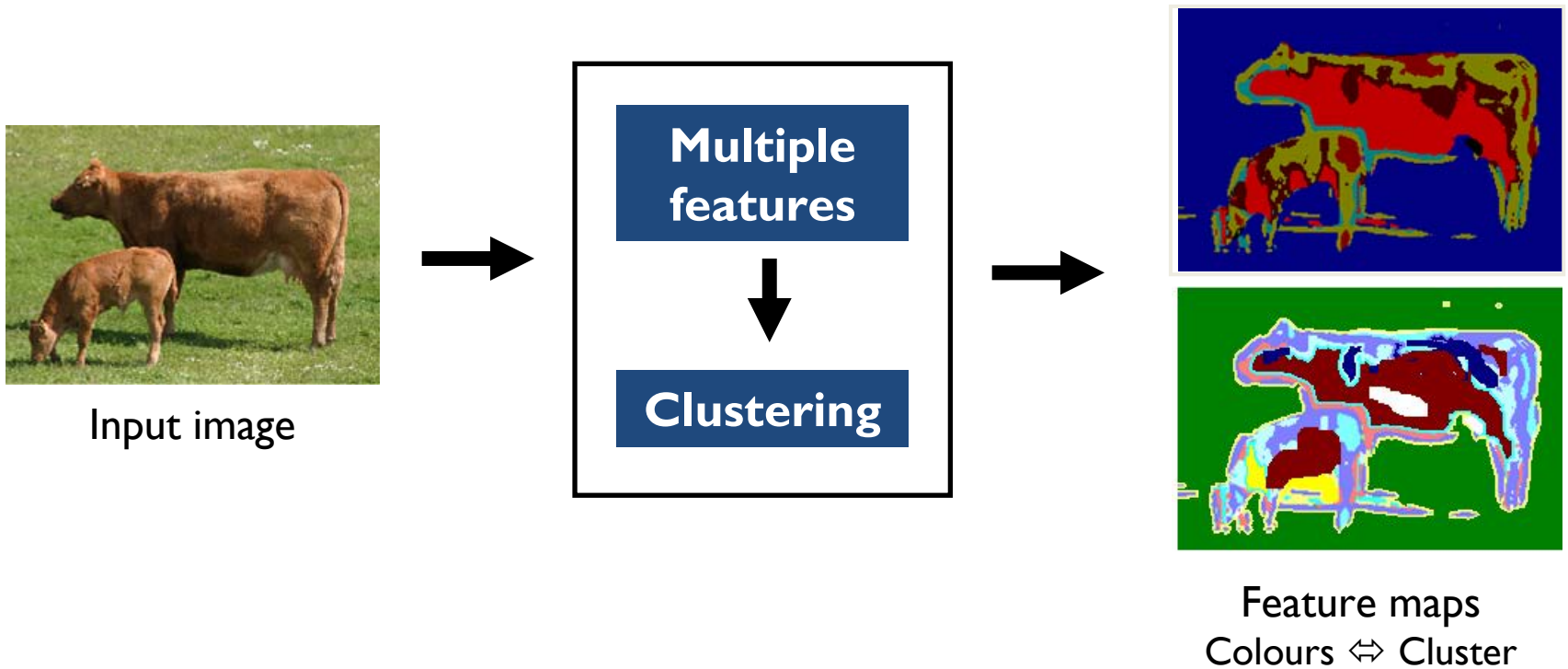
$$E(\mathbf{x}) = \underbrace{\sum_{i \in \mathcal{V}} \psi_i(x_i)}_{\text{Unary potentials}} + \sum_{i \in \mathcal{V}, j \in \mathcal{N}_i} \psi_{ij}(x_i, x_j) + \sum_{c \in \mathcal{S}} \psi_c(\mathbf{x}_c)$$

Unary potentials
based on
Colour, Location and
Texture features



Multifeature unary potential

- Inspired by [Shotton et al. ECCV06]

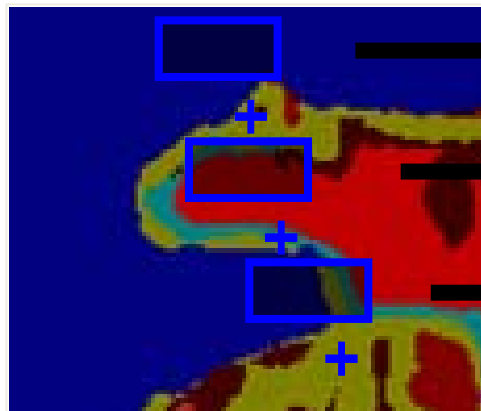


Multifeature unary potential

- Unary likelihood based on spatial configuration of features



models
appearance context
and shape



$$v(i, f, t, r) = a$$

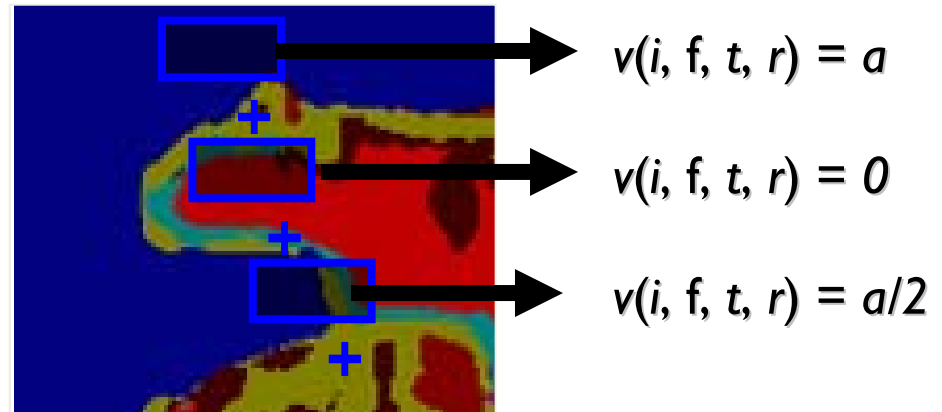
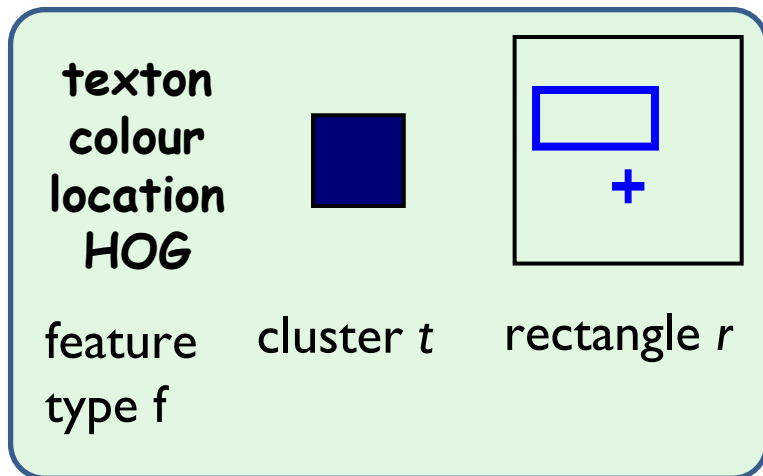
$$v(i, f, t, r) = 0$$

$$v(i, f, t, r) = a/2$$

Multi-feature unary potential

Main differences [Shotton et al., ECCV06]

- Multiple features boosted together
- Gaussian distribution of rectangles
- Threshold set grows exponentially
- Memory compressions
- Weighted training samples



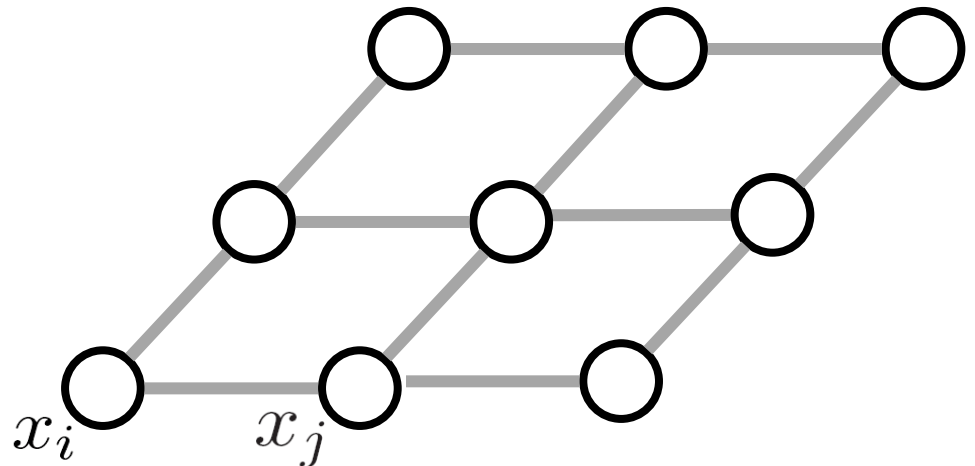
Models, appearance context, and shape

Object Segmentation using CRFs

CRF Energy

$$E(\mathbf{x}) = \sum_{i \in \mathcal{V}} \psi_i(x_i) + \underbrace{\sum_{i \in \mathcal{V}, j \in \mathcal{N}_i} \psi_{ij}(x_i, x_j)}_{\text{Encourages label consistency in adjacent pixels}} + \sum_{c \in \mathcal{S}} \psi_c(\mathbf{x}_c)$$

Encourages label consistency in adjacent pixels



Contrast-sensitive pairwise potential

- Pairwise cost

$$\psi(x_i, x_j) = \begin{cases} 0 & \text{if } x_i = x_j, \\ g(i, j) & \text{otherwise,} \end{cases}$$

$$g(i, j) = \theta_p + \theta_v \exp(-\theta_\beta \|I_i - I_j\|^2)$$

- Enforces label consistency in adjacent pixels

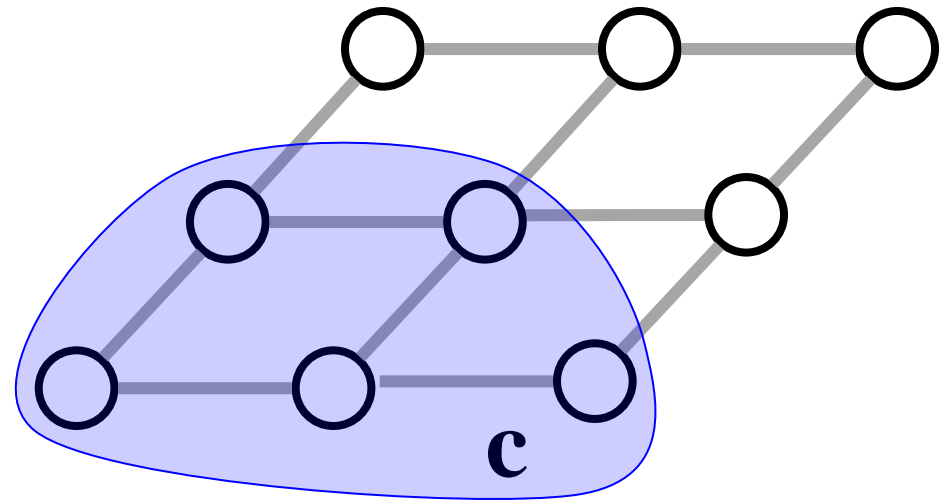
Higher Order CRF Model

$$E(\mathbf{x}) = \sum_{i \in \mathcal{V}} \psi_i(x_i) + \sum_{i \in \mathcal{V}, j \in \mathcal{N}_i} \psi_{ij}(x_i, x_j) + \underbrace{\sum_{c \in \mathcal{S}} \psi_c(\mathbf{x}_c)}$$

Encourages label consistency in regions



Multiple Segmentations



Comaniciu and Meer PAMI 2002

Shi and Malik PAMI 2000

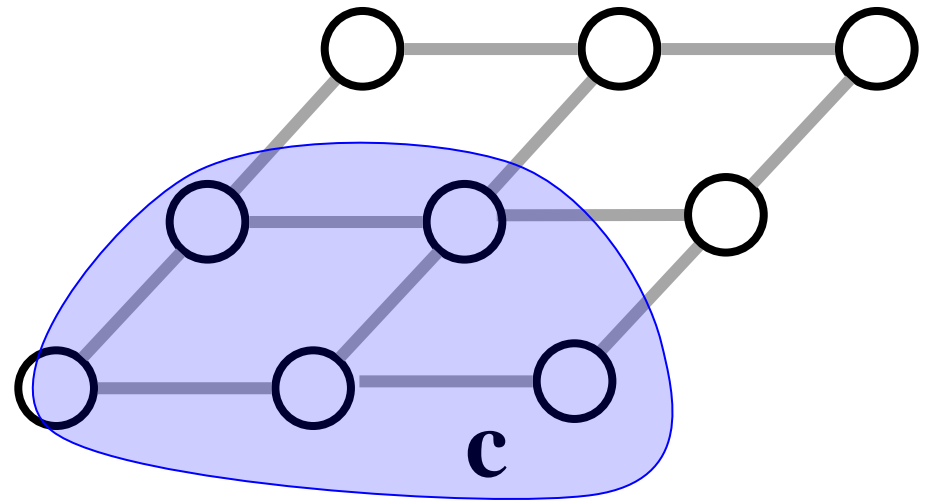
Felzenszwalb and Huttenlocher IJCV 2004

Label Consistency in Segments

- Encourages consistency within super-pixels
- Takes the form of a P^N Potts model

[Kohli *et al.* CVPR 2007]

$$\psi_c^P(\mathbf{x}_c) = \begin{cases} 0 & \text{if } x_i = l_k, \forall i \in c \\ f(|c|) & \text{otherwise} \end{cases}$$

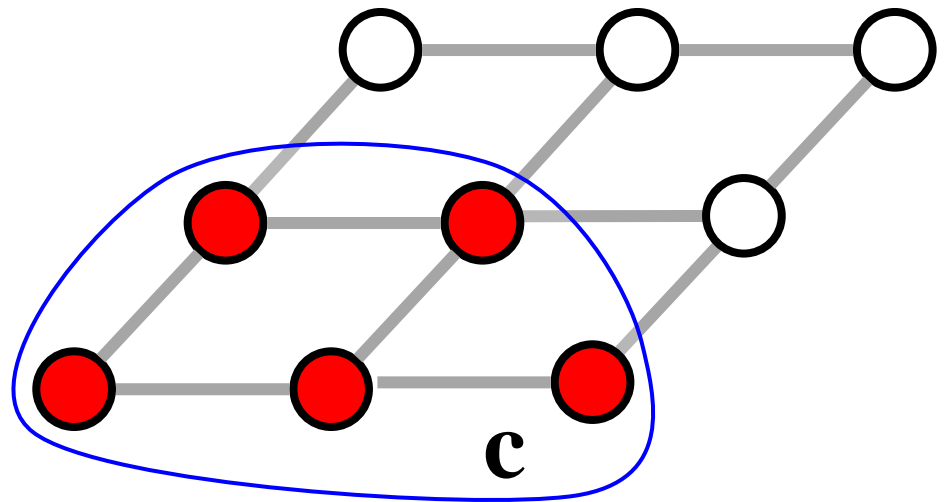


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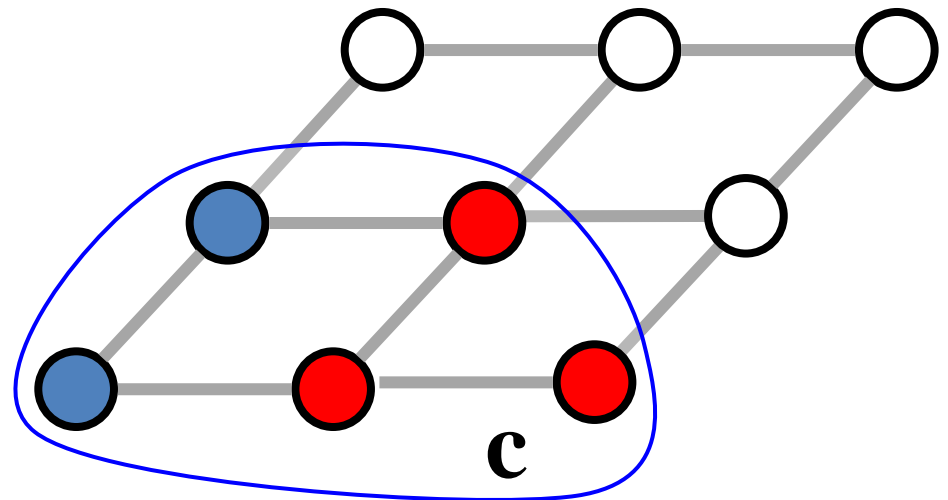
Cost: 0

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Cost: $f(|c|)$

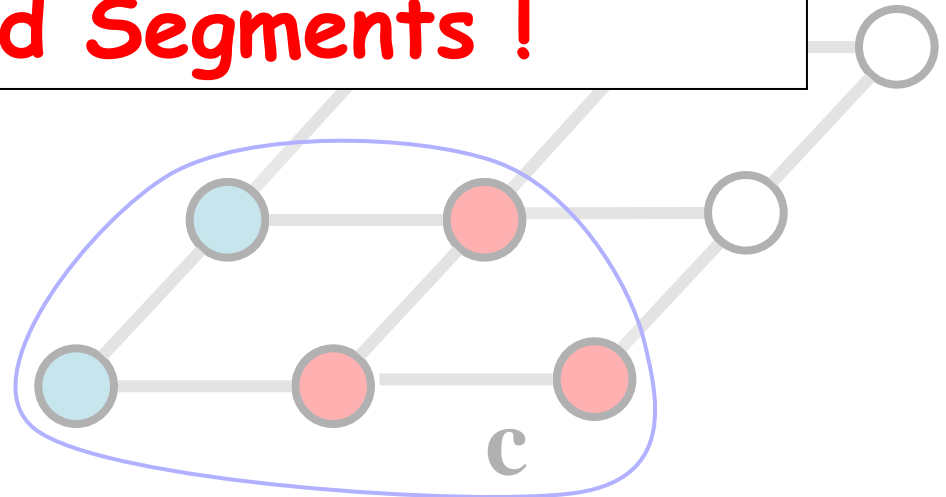
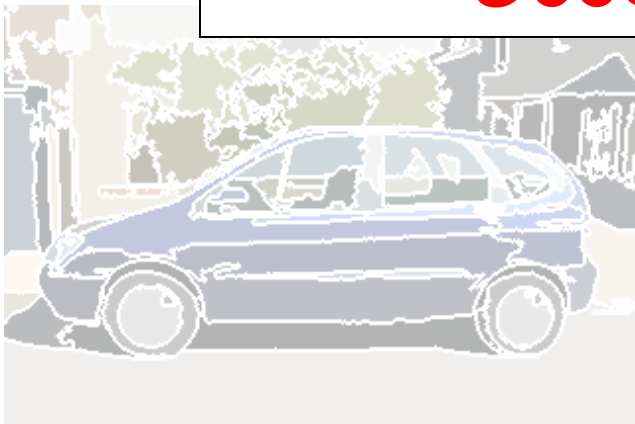
Label Consistency in Segments

- Encourages consistency within super-pixels
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[Kohli *et al.* CVPR 2007]

$$f(x_i) = \begin{cases} 0 & \text{if } x_i = l_c, \forall i \in c \\ \infty & \text{otherwise} \end{cases}$$

**Does not distinguish between
Good/Bad Segments !**



Cost: $f(|c|)$

Quality based Label Consistency

Label inconsistency cost depends on segment quality

$$\psi_c^v(\mathbf{x}_c) = \begin{cases} 0 & \text{if } x_i = l_k, \forall i \in c \\ \theta_p + \theta_v G(c) & \text{otherwise} \end{cases}$$

Quality based Label Consistency

Label inconsistency cost depends on segment quality

$$\psi_c^v(\mathbf{x}_c) = \begin{cases} 0 & \text{if } x_i = l_k, \forall i \in c \\ \theta_p + \theta_v G(c) & \text{otherwise} \end{cases}$$

How to measure quality $G(c)$?

[Ren and Malik ICCV03, Rabinovich et al. ICCV07, many others]

- Colour and Texture Similarity
- Contour Energy

Measure quality from variance in feature responses

$$G(c) = \exp(-\theta_\beta f_v(c))$$

Higher order generalization of contrast-sensitive pairwise potential

Quality based Label Consistency

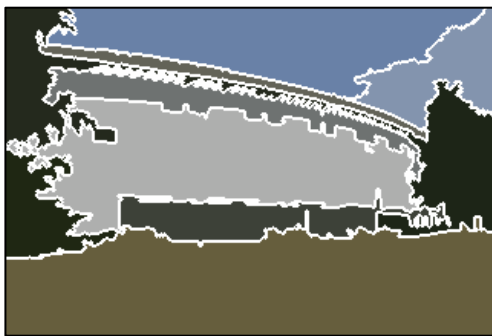
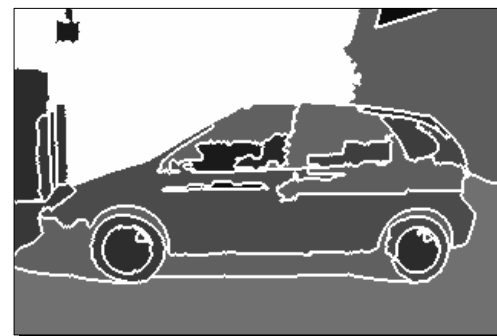
MSRC image



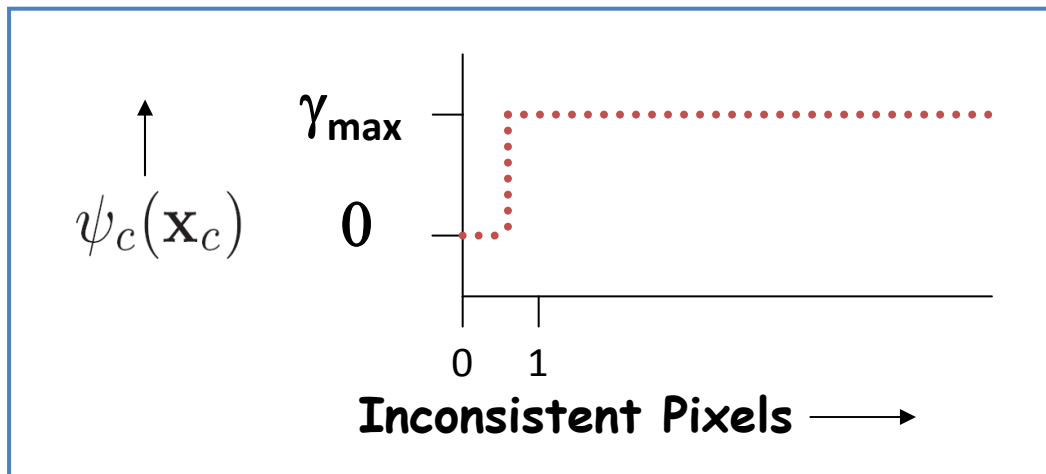
Mean shift segmentation



Segment Quality (darker is better)

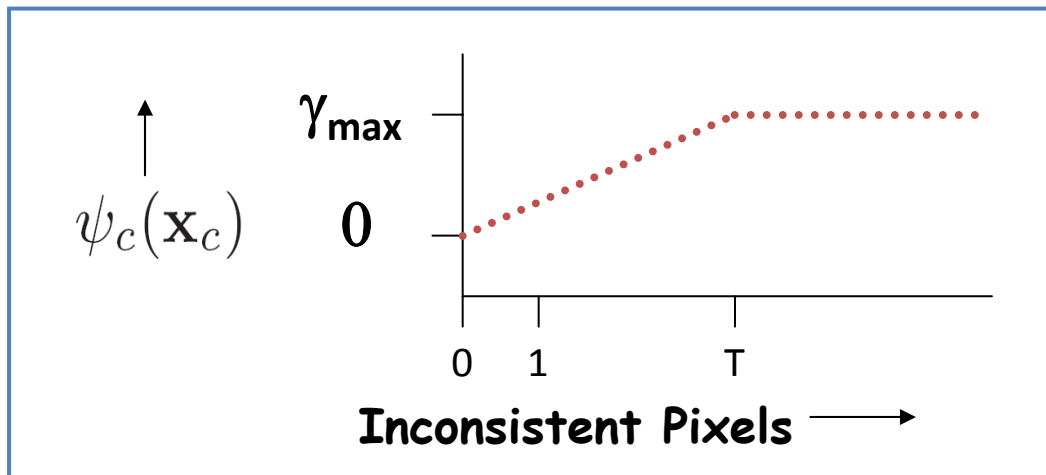


Robust Consistency Potentials



PN Potts

Too Rigid!



Robust

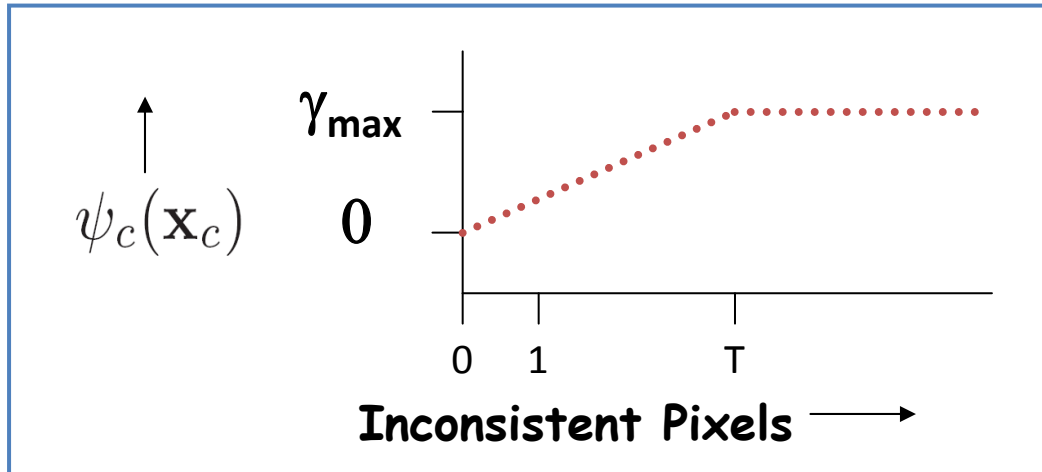
Robust Consistency Potentials

$$\psi_c(\mathbf{x}_c) = \min\{ N_i(\mathbf{x}_c) Q, \gamma_{\max} \}$$

Number of
Inconsistent
Pixels

Slope

Maximum
Inconsistency
Cost



Robust

Robust Consistency Potentials

$$\psi_c(\mathbf{x}_c) = \min\{ N_i(\mathbf{x}_c) Q, \gamma_{\max} \}$$

Number of Inconsistent Pixels

Slope

Maximum Inconsistency Cost

- Some pixels are less important than others (for instance, Segment boundary pixels)
- Weighted version of the inconsistency count

Minimizing Higher order Energy Functions

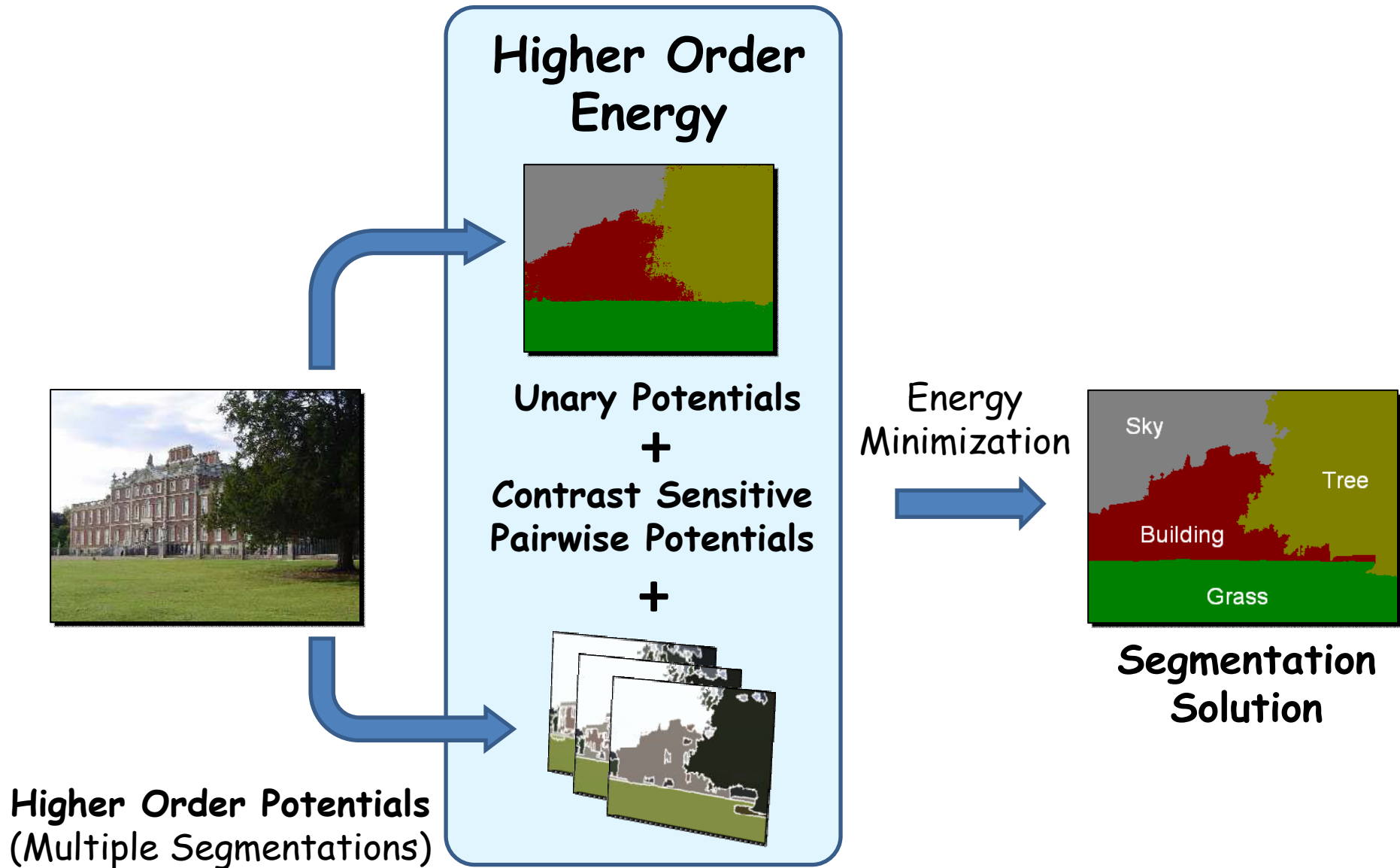
- **Message passing is computationally expensive**
 - High runtime and space complexity - $O(L^N)$
 - L = Number of Labels, N = Size of Clique
- **Efficient BP for Higher Order MRFs**
[Lan et al. ECCV 06, Potetz CVPR 2007]
 - 2x2 clique potentials for Image Denoising
 - Take minutes per iteration (Hours to converge)

Graph Cuts for Minimizing Higher order Energy Functions (Our Approach)

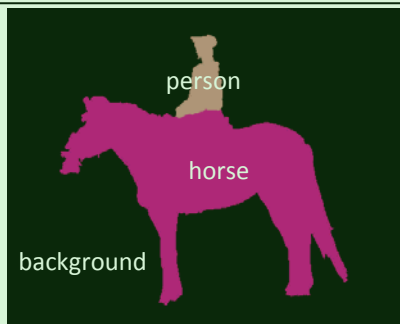
- Binary label problems can be solved exactly
- Can handle very high order energy functions
- Extremely efficient: computation time in the order of seconds
- Graph Cut based move making algorithm for Multilabel Functions
[Kohli, Ladický, Torr - CVPR08]

- Only applicable to some classes of functions (described earlier)

Overview of our Method

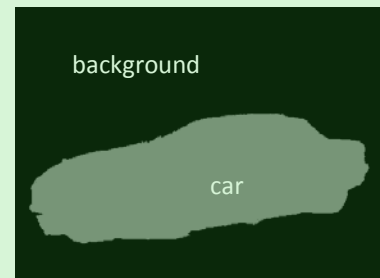
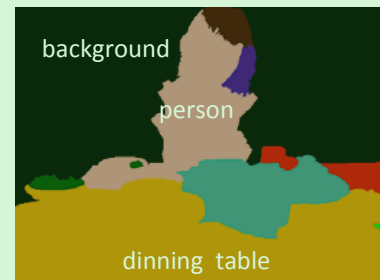


Results



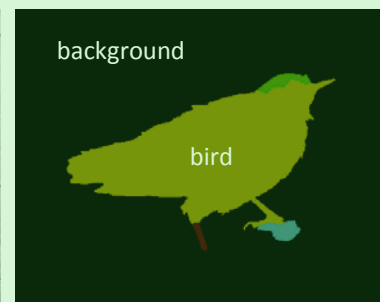
VOC2008 image

Result

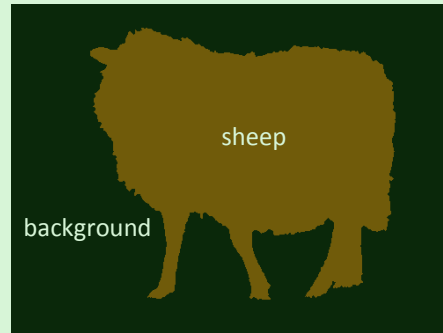
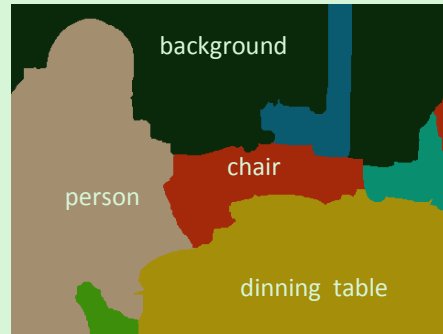
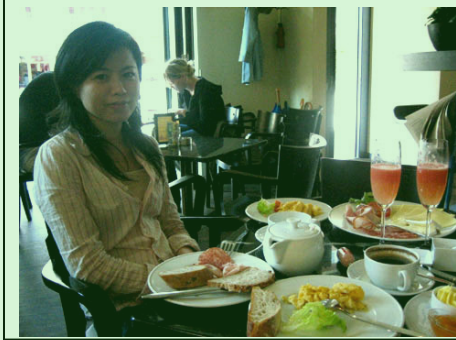


VOC2008 image

Result

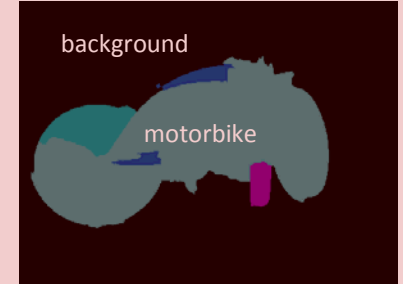
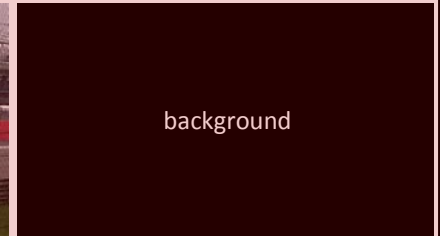


Results



VOC2008 image

Result



VOC2008 image

Result

Conclusions

- Improvement of boosted unary potential
- Method to enforce label consistency in image regions
- Generalization of the commonly used pair-wise contrast sensitive potential
- Allows integration of pixel and region level features for image labelling problems

Conclusions

- Bottom-Up approach showed its potential
- Performance can be boosted using state-of-the-art descriptors and more tuning
- Future work
 - More solvable energies
 - More features
 - More tuning
- We want background classes!

Thank you

Questions ?