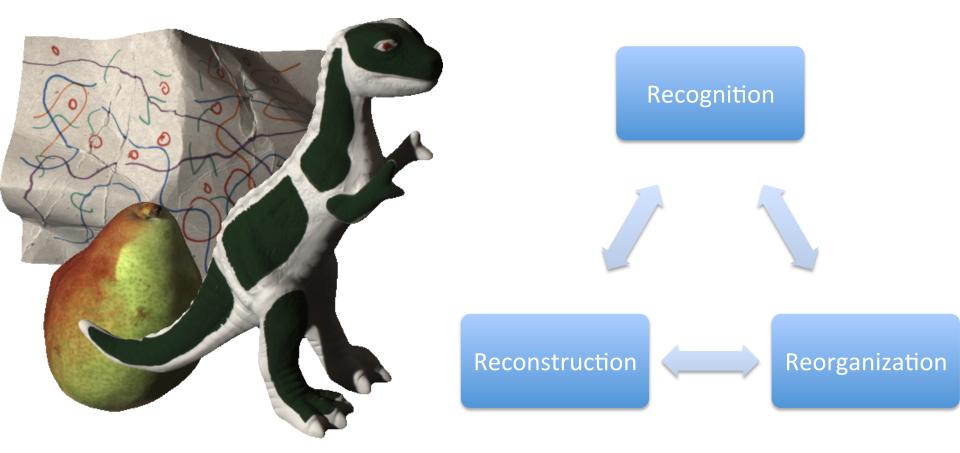
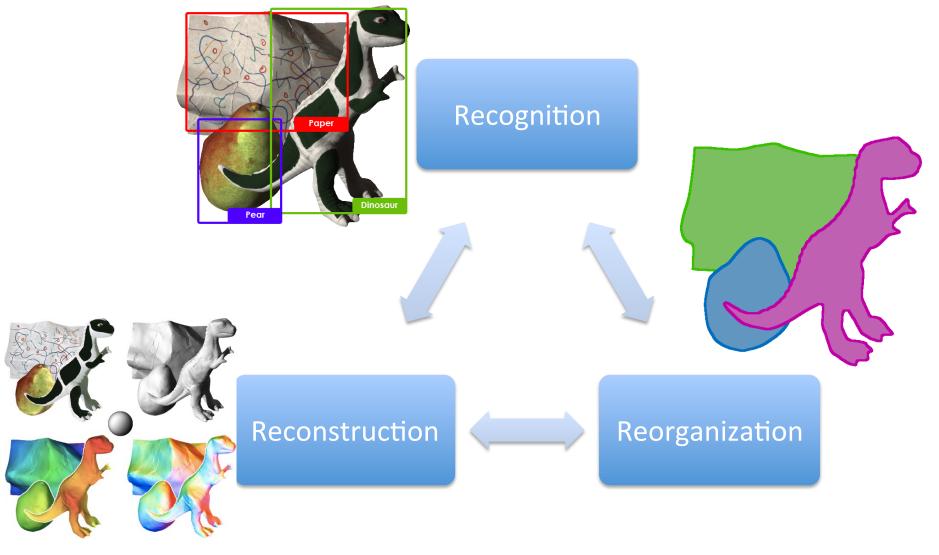
## The Three R's of Vision



Jitendra Malik UC Berkeley

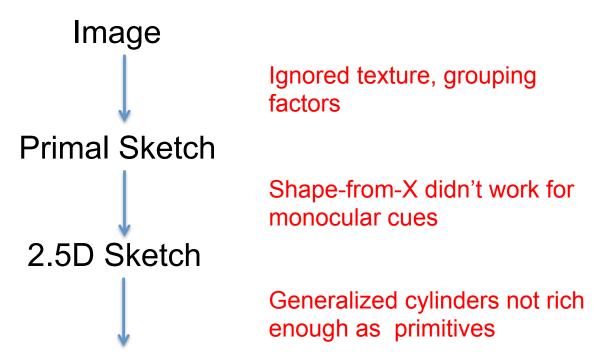
#### Recognition, Reconstruction & Reorganization



# Theories of Visual Perception in the 20<sup>th</sup> century

- Behaviorism emphasized stimulus generalization and association. Aligns well with machine learning approaches to recognition.
- Gestaltists emphasized perceptual organization- grouping and figure/ground phenomena. Natural home for those who regard reorganization of the stimulus – from pixels to entitiesas primary.
- Gibson's ecological optics emphasized "information pickup" by a moving observer. Introduced optic flow and texture gradients as powerful 3d cues. Consistent with a view that there is enough information for 3d reconstruction of the world.

# Marr's paradigm (1980)



Part-based Models using Generalized Cylinders

Overall approach violated the principle of least commitment, that Marr had himself advocated. Didn't use probabilistic inference or learning.

## Computer vision since 1990...

- Significant progress <u>without</u> an overarching theory
- Has made considerable use of models drawn from
  - Geometry
  - Statistics/Machine learning
  - Optimization

#### Review

#### Recognition

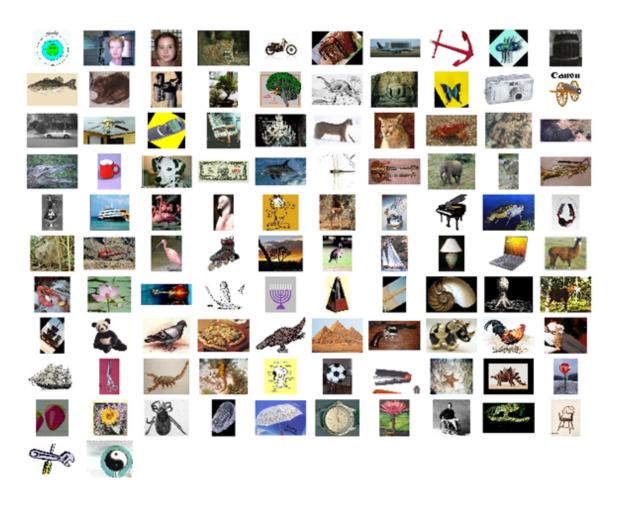
- 2D problems such as handwriting recognition, face detection
- Partial progress on 3d object category recognition

#### Reconstruction

- Feature matching + multiple view geometry has led to city scale point cloud reconstructions
- Reorganization
  - Graphcuts for interactive segmentation
  - Bottom up boundaries and regions/superpixels

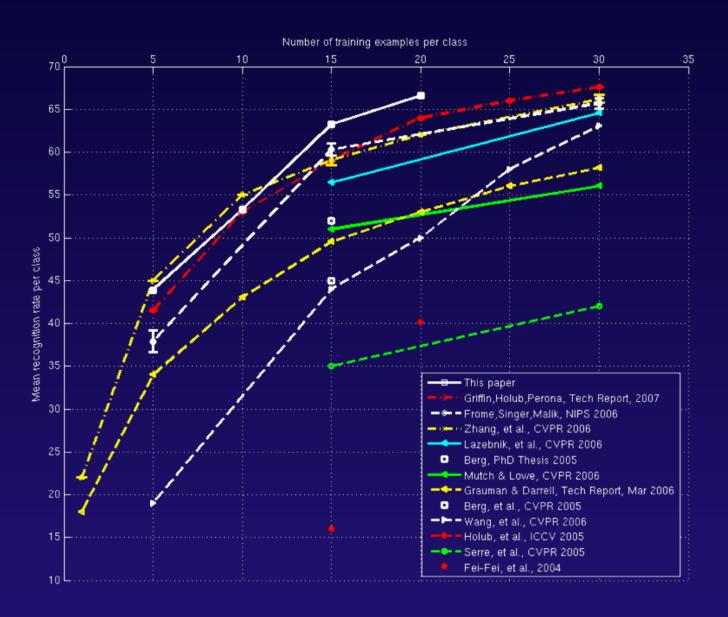
# Caltech-101 [Fei-Fei et al. 04]

102 classes, 31-300 images/class



#### Caltech 101 classification results

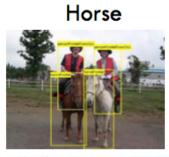
(even better by combining cues..)



#### PASCAL Visual Object Challenge (Everingham et al)

**Dining Table** 









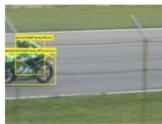
Person





Sheep









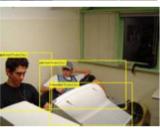




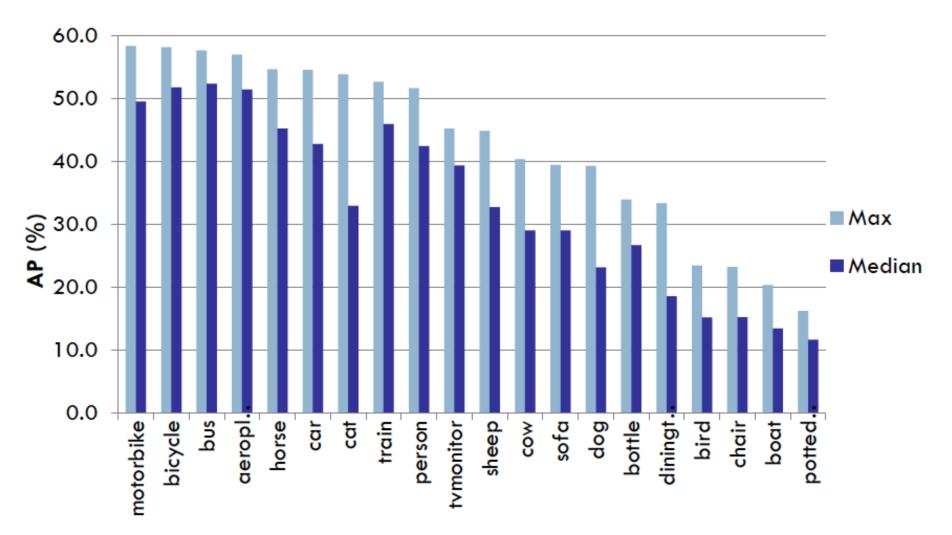








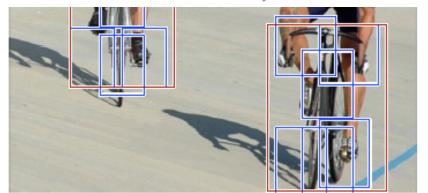
## AP by Class

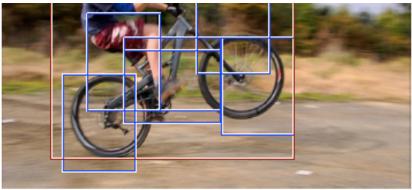


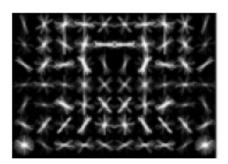
Max AP: 58.3% (motorbike) ... 16.2% (potted plant)

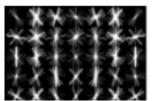
### Object Detection with Discriminatively Trained Part Based Models

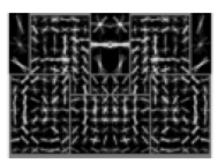
Pedro F. Felzenszwalb, Ross B. Girshick, David McAllester and Deva Ramanan

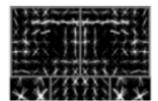


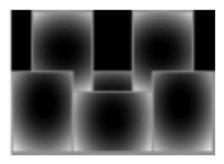


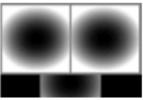












Builds on Dalal & Triggs HOG detector (2005)

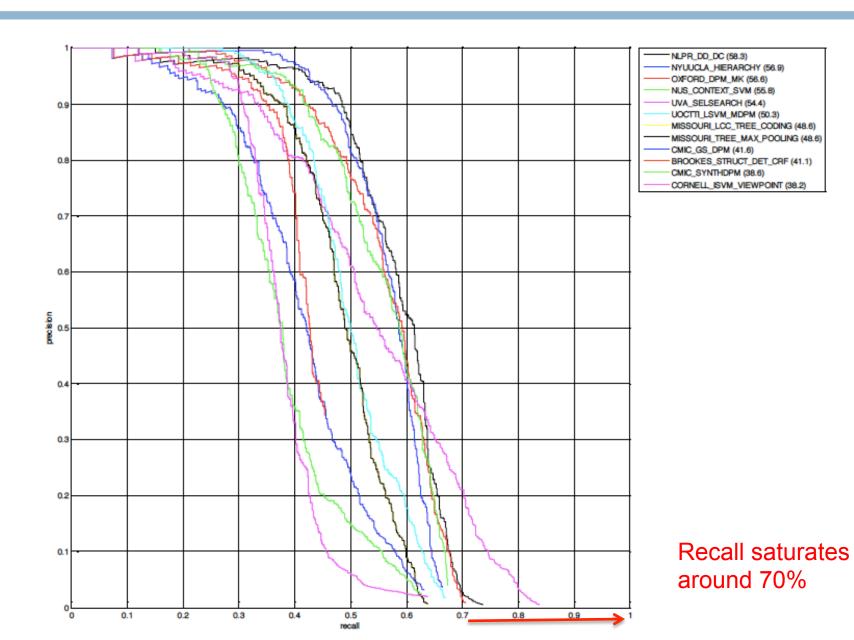
# What did we learn from these datasets?

- Lazebnik, Schmid & Ponce's approach Spatial
  Pyramid Matching was validated by Caltech 101.
- Felzenszwalb et al's approach Deformable Part Models - was validated by the PASCAL VOC challenge.
- There were other interesting and well-performing approaches that came up in these competitions.
   These two are noteworthy for their combination of (relative) simplicity combined with good performance.

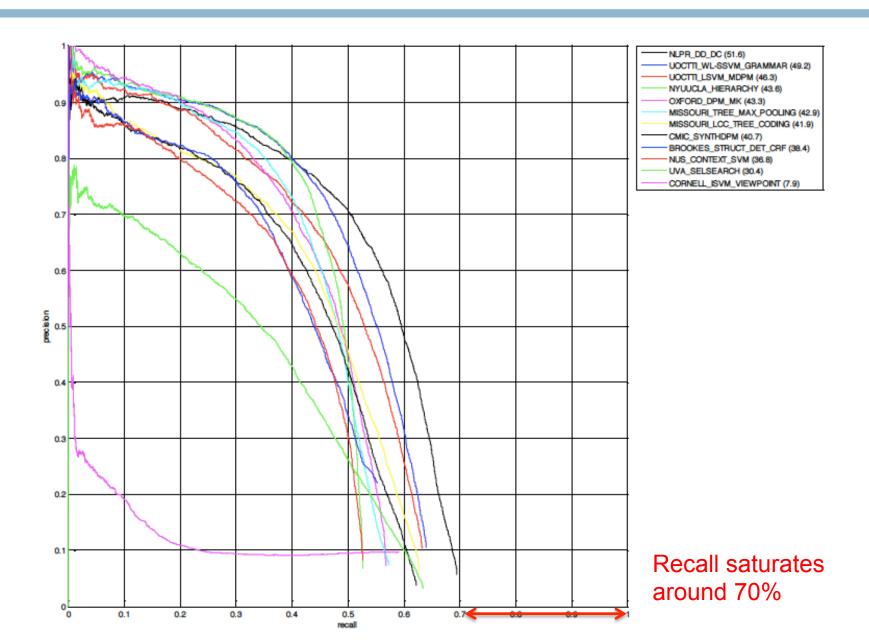
## Critique of the State of the Art

- Performance is quite poor compared to that at 2d recognition tasks and the needs of many applications.
- Pose Estimation / Localization of parts or keypoints is even worse. We can't isolate decent stick figures from radiance images, making use of depth data necessary.
- Progress has slowed down. Variations of HOG/Deformable part models dominate.

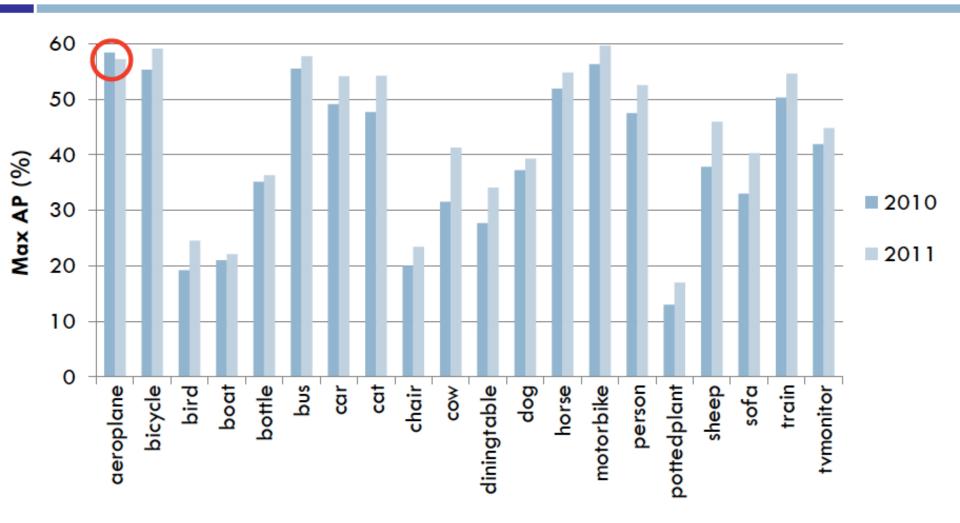
## Precision/Recall - Motorbike



# Precision/Recall - Person



## Progress 2010-2011



- Results on 2010 data improve for best 2011 methods for all but one category (aeroplane)
  - Caveats: More training data + re-use of test data

#### Some categories are visually incoherent

















AP=0.23

### We are not going to find chairs with HOG templates!

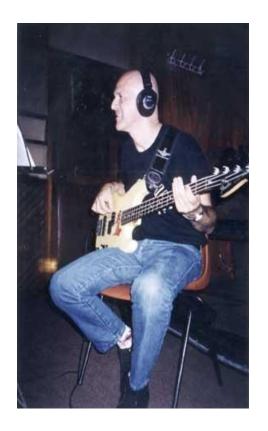
















#### State of the Art in Reconstruction

Multiple photographs



Agarwal et al (2010)

Range Sensors



Kinect (PrimeSense)

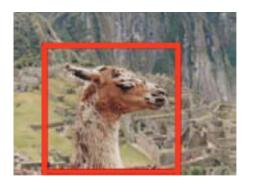


Velodyne Lidar

Critique: Semantic Segmentation is needed to make this more useful...

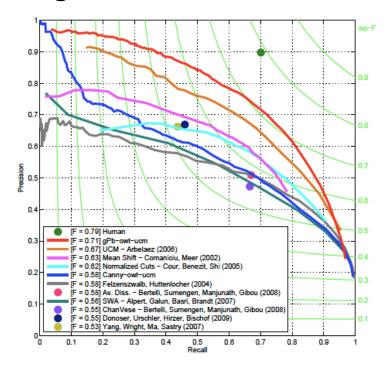
## State of the Art in Reorganization

 Interactive segmentation using graph cuts





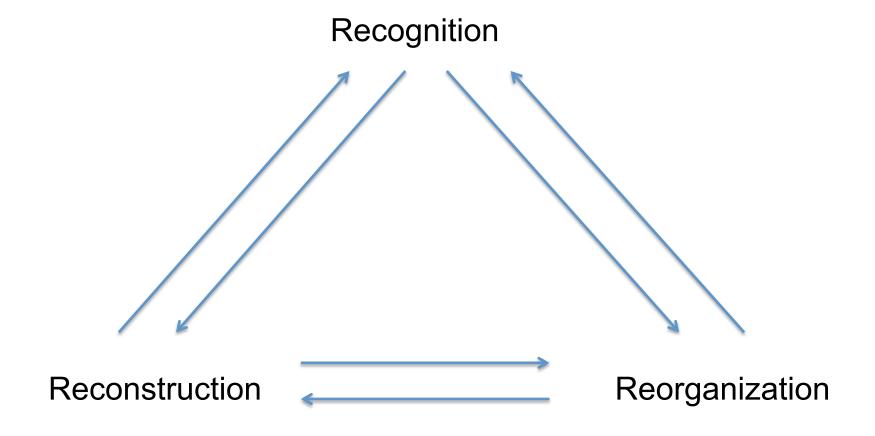
Rother, Kolmogorov & Blake (2004), Boykov & Jolly (2001), Boykov, Veksler & Zabih(2001) Berkeley gPb edges & regions



Arbelaez et al (2009), Martin, Fowlkes, Malik (2004), Shi & Malik (2000)

Critique: What is needed is fully automatic semantic segmentation

## The Three R's of Vision

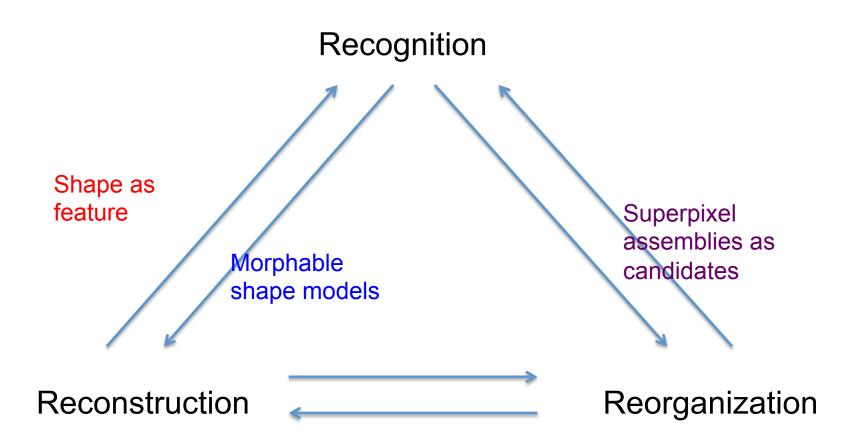


Each of the 6 directed arcs in this diagram is a useful direction of information flow

# Theory vs. Models

- Evolution is a theory; structure of DNA is a model.
  Models have limited scope & are easily testable.
  Theory is less precise but broader in scope.
- The value of this "theory" is
  - Conceptual framework that points to most fruitful research directions in vision
  - Pedagogic value for students
  - Someday, there may be a grand reunification, such as what Maxwell brought to electromagnetism (we may dream, can't we?)

## The Three R's of Vision



### Problems with current recognition approaches

- Performance is quite poor compared to that at 2d recognition tasks and the needs of many applications.
- Pose Estimation / Localization of parts or keypoints is even worse. We can't isolate decent stick figures from radiance images, making use of depth data necessary.
- Progress has slowed down. Variations of HOG/Deformable part models dominate.

## Next steps in recognition

- Incorporate the "shape bias" known from child development literature to improve generalization
  - This requires monocular computation of shape, as once posited in the 2.5D sketch, and distinguishing albedo and illumination changes from geometric contours
- Top down templates should predict keypoint locations and image support, not just information about category
- Recognition and figure-ground inference need to coevolve. Occlusion is signal, not noise.

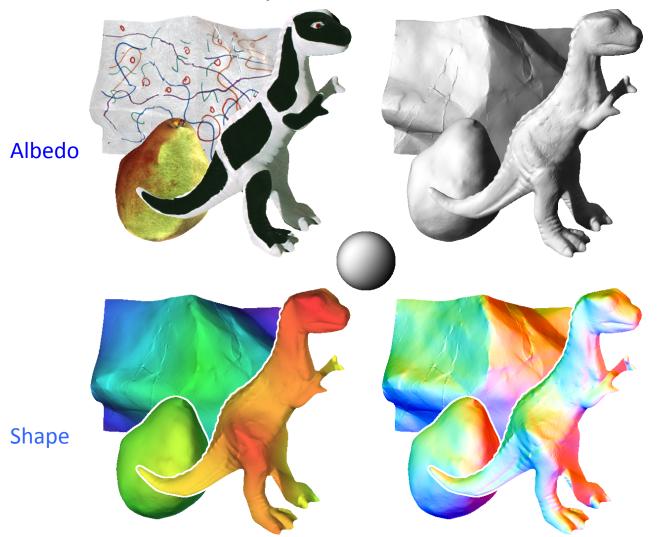
## Next steps in recognition

- Incorporate the "shape bias" known from child development literature
   Barron & Malik, CVPR 2012
  - This requires monocular computation of shape, as once posited in the 2.5D sketch, and distinguishing albedo and illumination changes from geometric contours
- Top down templates should predict keypoint locations and image support, not just information about category Poselets: Bourdev & Malik, 2009 & later
- Recognition and figure-ground inference need to coevolve. Occlusion is signal, not noise.

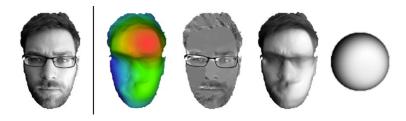
Arbelaez et al, CVPR 2012

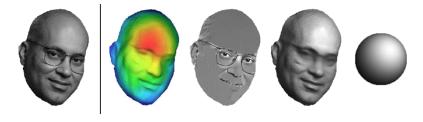
#### Reconstruction

Shape, Albedo & Illumination



# Shape, Albedo, and Illumination from Shading

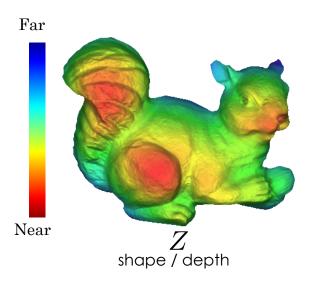


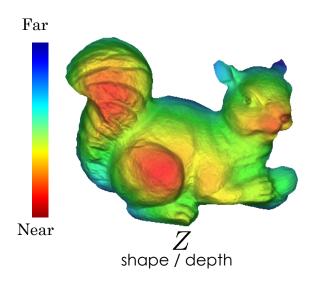


Jonathan Barron

Jitendra Malik

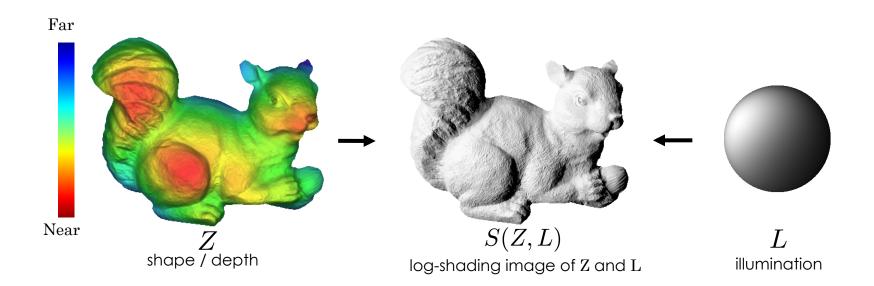
**UC** Berkeley

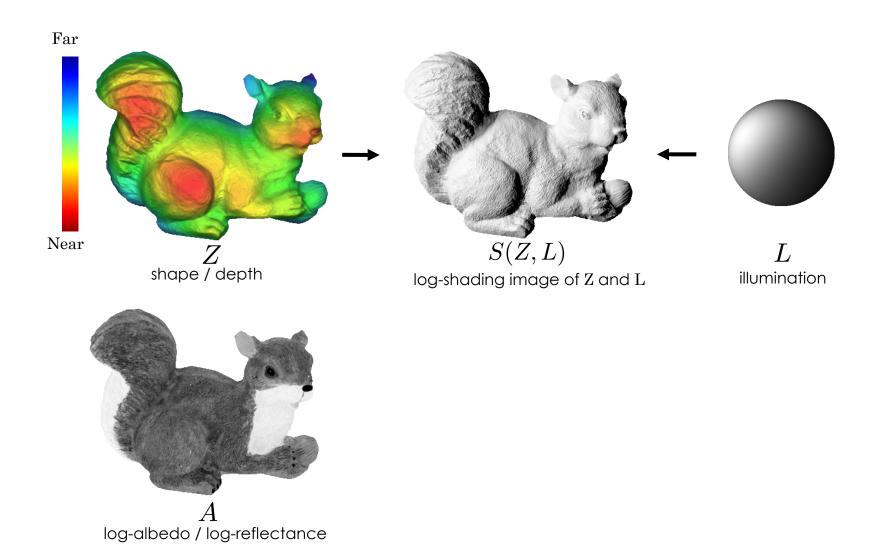


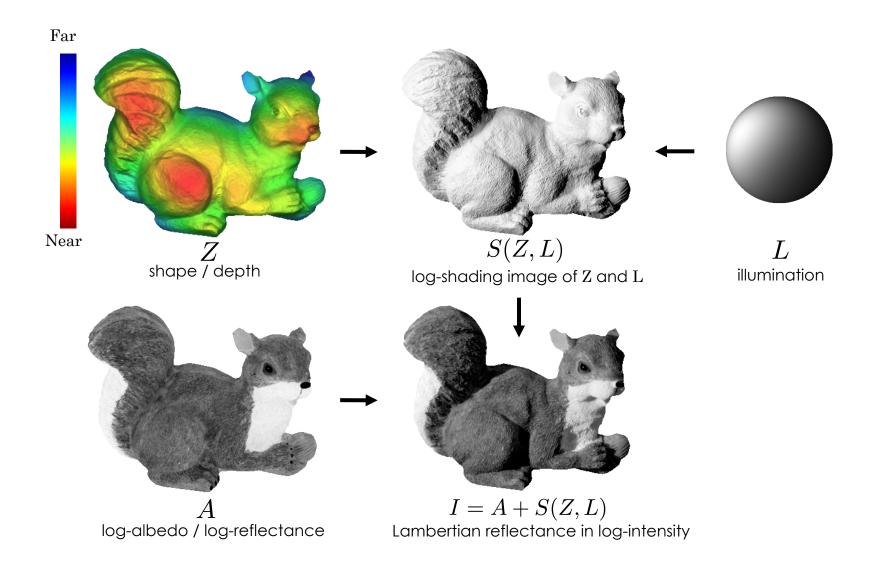




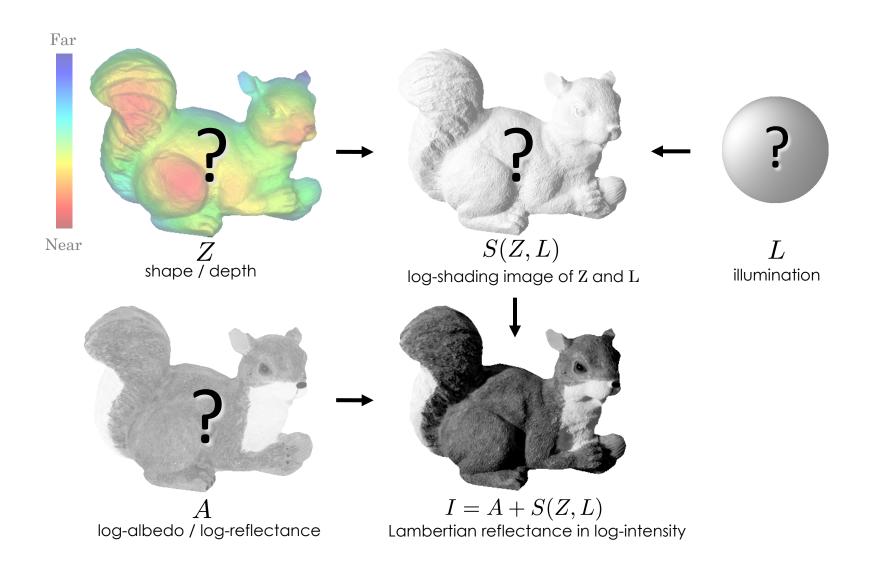
 $oldsymbol{L}$  illumination





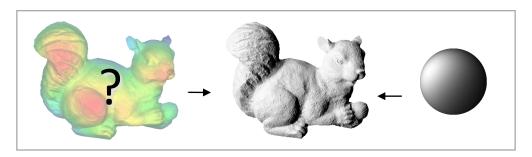


# Shape, Albedo, and Illumination from Shading **SAIFS** ("safes")



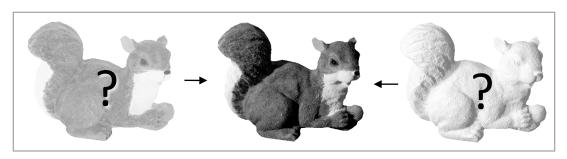
#### Past Work

#### **Shape from Shading**



Assume illumination and albedo are known, and solve for the shape

#### **Intrinsic Images**



Ignore shape and illumination, and classify edges as either shading or albedo

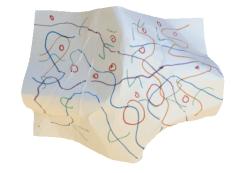
#### Problem Formulation

$$\underset{Z,A}{\text{maximize}} \qquad P(A|Z,L)P(Z)$$

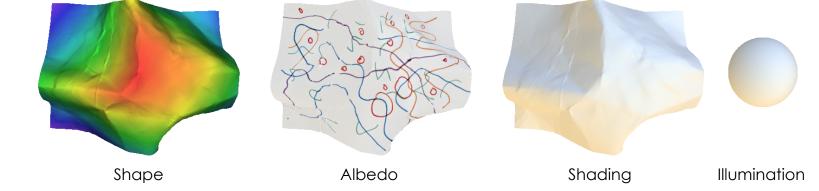
subject to 
$$I = A + S(Z, L)$$

Given a single image, search for the most likely explanation (shape, albedo, and illumination) that together exactly reproduces that image.

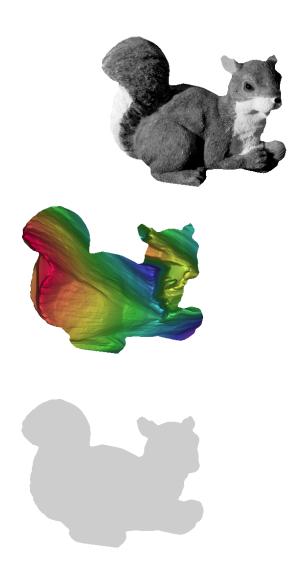
Input:

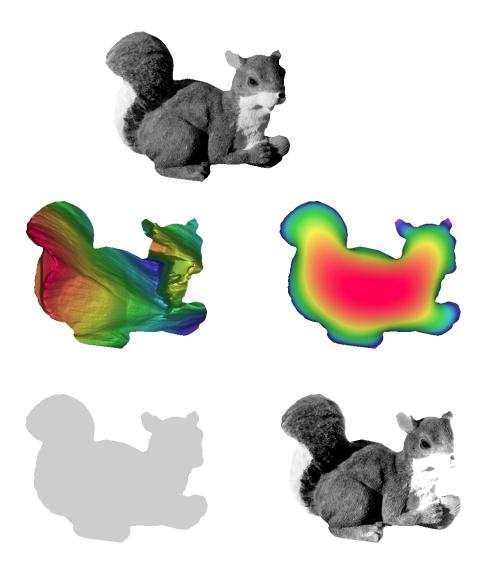


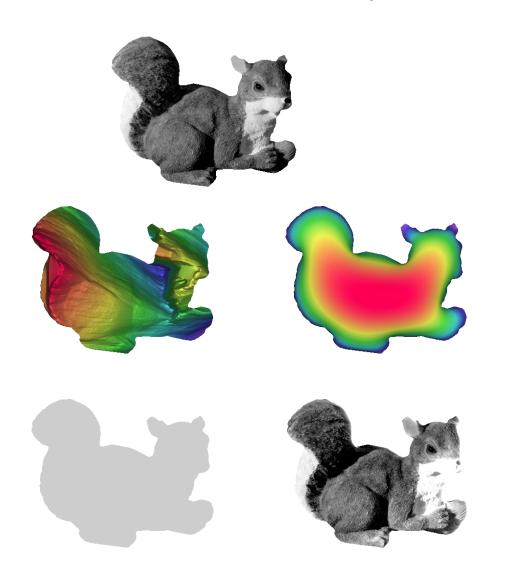
Output:





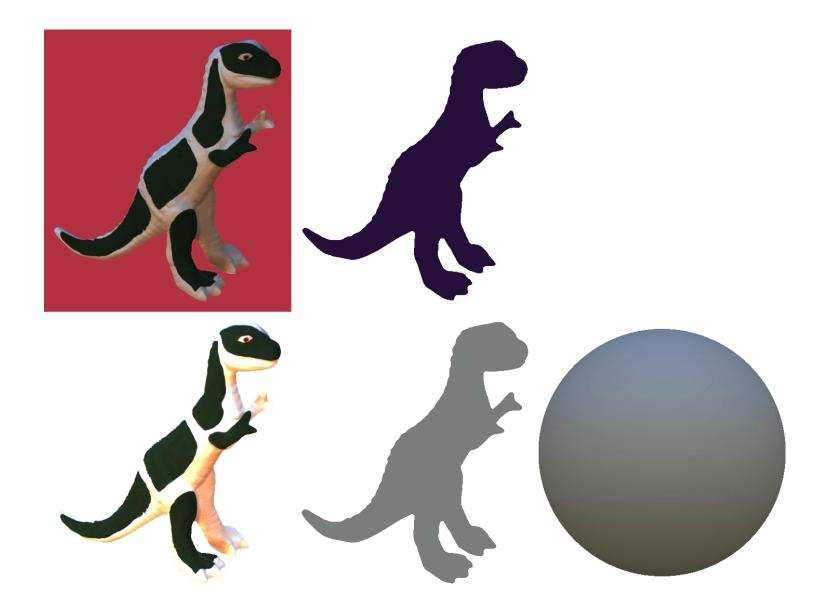








#### Demo!



#### Demo!



#### What do we know about albedo?

 Piecewise smooth at all scales and orientations (variation is small and sparse)

 Takes on a few discrete values everywhere in an image (distribution is low-entropy)

$$g(A) = \sum_{k=1}^{K} 4^{k-1} \sum_{x,y} c\left( \left\| \nabla \mathcal{G}(A,k) \right\|_{x,y}; \boldsymbol{\alpha}_A^k, \boldsymbol{\sigma}_A^k \right) - \lambda_e \sum_{k=1}^{K} \log \left( \sum_{i=1}^{N} \sum_{j=1}^{N} \exp\left( -\frac{(\mathcal{G}(A,k)_i - \mathcal{G}(A,k)_j)^2}{4\sigma_A^2} \right) \right)$$

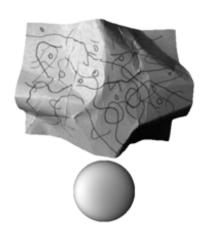
#### What do we know about shapes?

1) Piecewise smooth at all scales and orientations (variation of mean curvature is small and sparse)

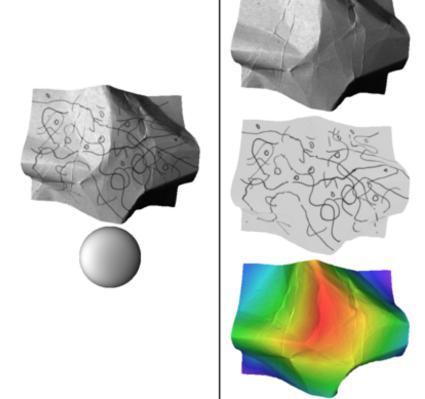
2) Face outwards at the occluding contour

3) Tend to be fronto-parallel (slant tends to be small)

$$f(Z) = \lambda_{s} \sum_{k=1}^{K} 4^{k-1} \sum_{x,y} c \left( \left\| \nabla H \left( \frac{\mathcal{G}(Z,k)}{2^{k-1}} \right) \right\|_{x,y}; \boldsymbol{\alpha}_{Z}^{k}, \boldsymbol{\sigma}_{Z}^{k} \right) \right. \\ \left. + \left. \lambda_{c} \sum_{i \in C} \sqrt{\left( N_{i}^{x}(Z) - n_{i}^{x} \right)^{2} + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2}} \right. \\ \left. - \left. \lambda_{f} \sum_{x,y} \log \left( 2N_{x,y}^{z}(Z) \right) \right|_{x,y} \right) \right. \\ \left. + \left. \lambda_{c} \sum_{i \in C} \sqrt{\left( N_{i}^{x}(Z) - n_{i}^{x} \right)^{2} + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2}} \right. \\ \left. - \left. \lambda_{f} \sum_{x,y} \log \left( 2N_{x,y}^{z}(Z) \right) \right|_{x,y} \right. \\ \left. + \left( N_{i}^{x}(Z) - n_{i}^{x} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{x}(Z) - n_{i}^{x} \right)^{2} \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{x}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{x}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{x}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right)^{2} \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right] \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right. \\ \left. + \left( N_{i}^{y}(Z) - n_{i}^{y} \right) \right] \left. + \left( N_{i}^{y}(Z) - n_{i}^{y}$$

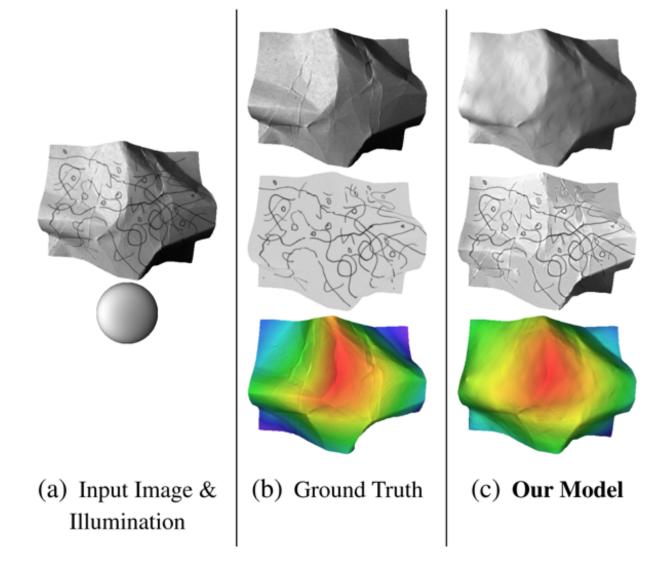


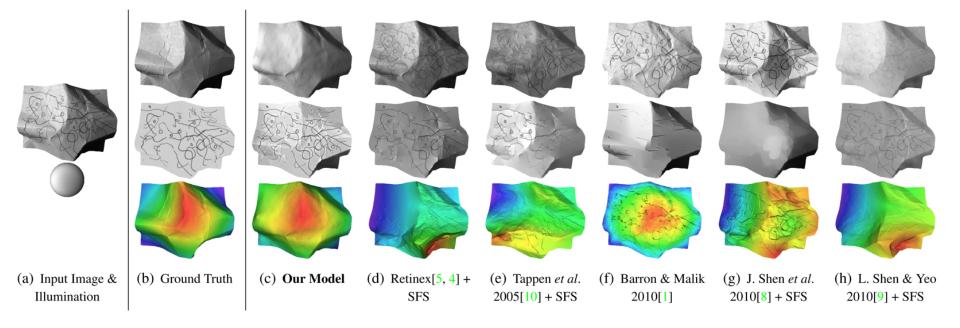
(a) Input Image & Illumination

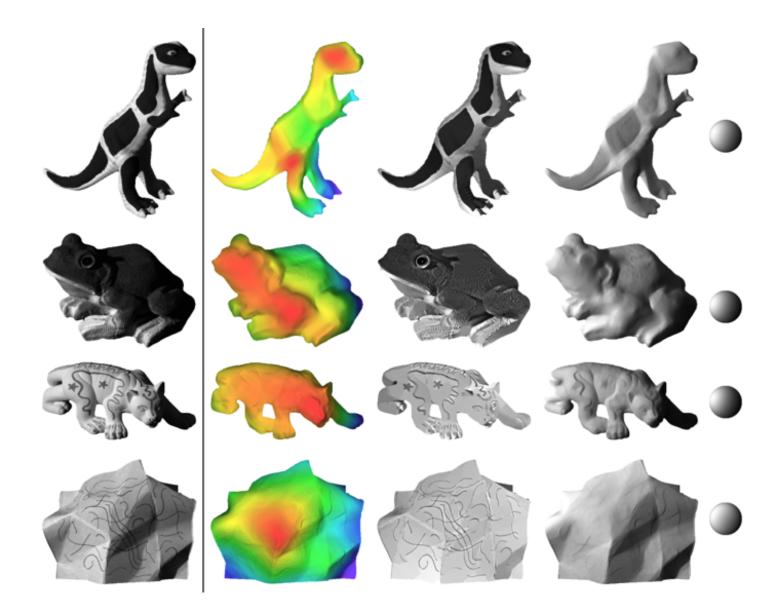


(a) Input Image & Illumination

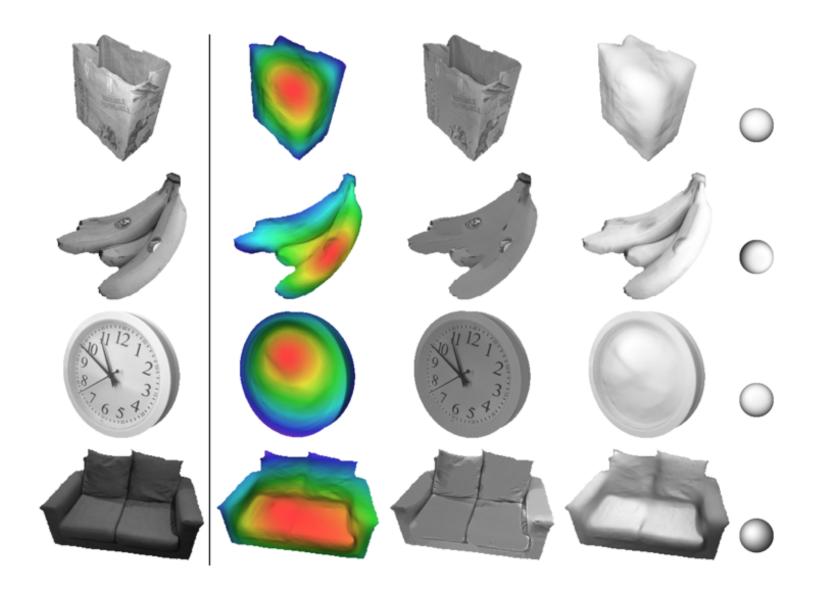
(b) Ground Truth



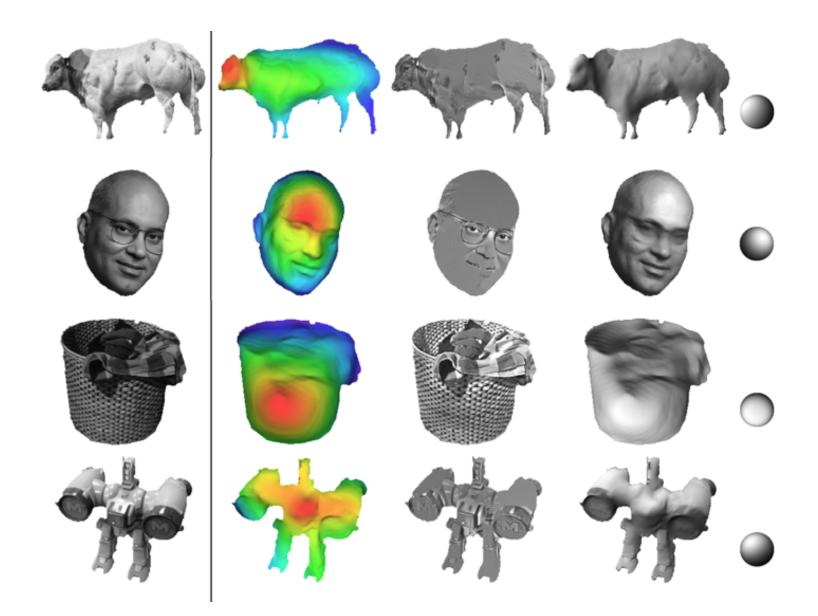




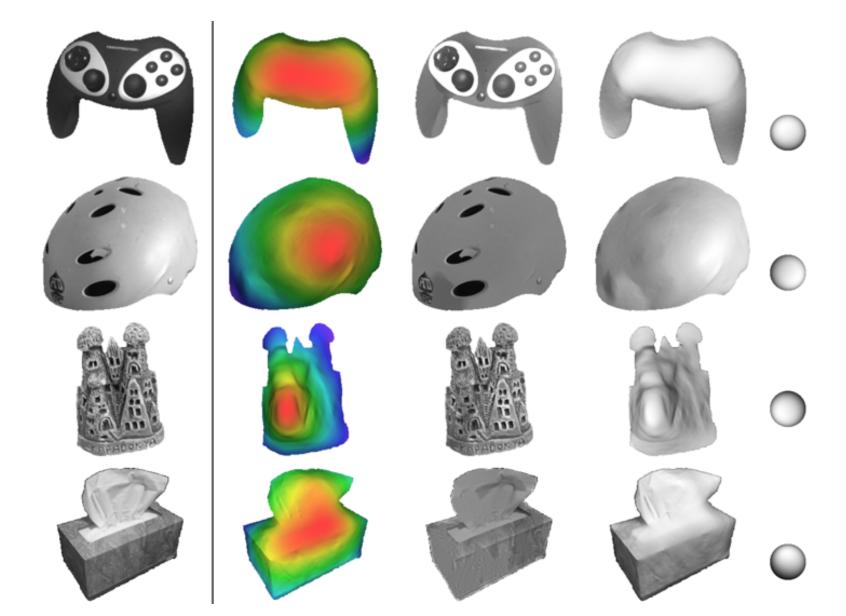
#### **Evaluation**: Real World Images



## **Evaluation**: Real World Images

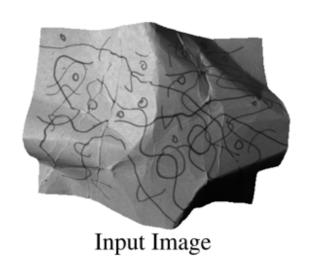


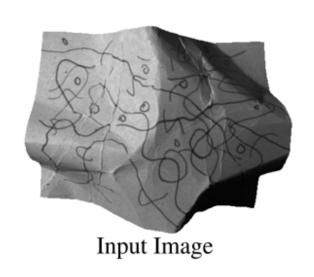
#### **Evaluation**: Real World Images



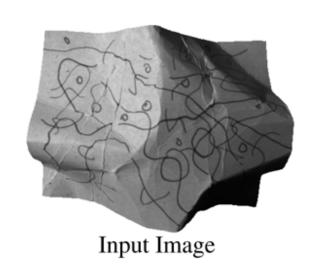
#### **Evaluation**: The Numbers

Algorithm	Avg.
Flat Baseline	0.2004
Retinex + SFS	0.2009
Tappen et al. 2005 + SFS	0.1761
Barron & Malik 2011	0.1682
J. Shen <i>et al</i> . 2011 + SFS	0.2376
Our Model (All Priors)	0.0856





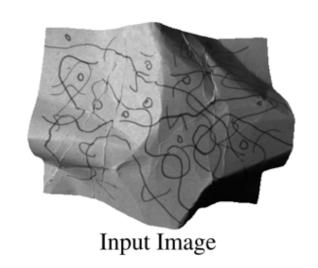


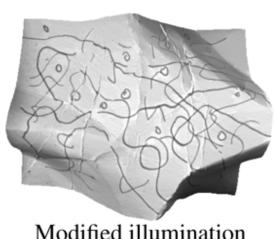


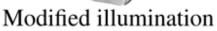


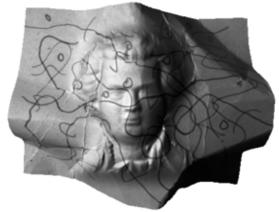


Modified shape



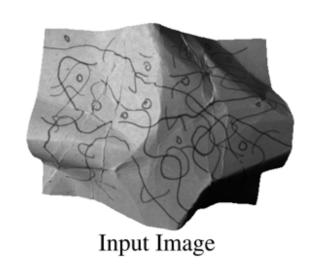




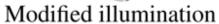


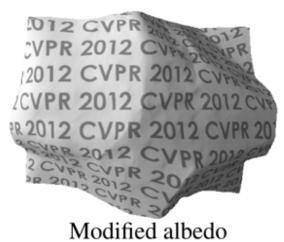
Modified shape













Modified shape

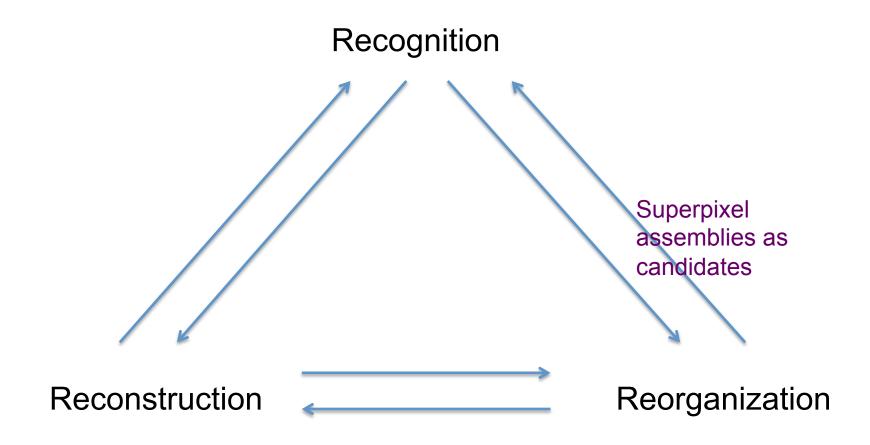


Modified orientation

#### Conclusions

- Unification shape-from-shading, intrinsic images, and color constancy
- Solving the unified problem > Solving any sub-problem
- Not a toy
- Not (and can never be?) metrically accurate

## The Three R's of Vision



# Semantic Segmentation using Regions and Parts

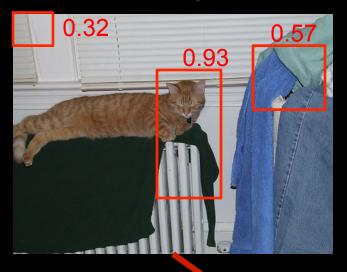
P. Arbeláez, B. Hariharan, S. Gupta, C. Gu, L. Bourdev and J. Malik





## This Work

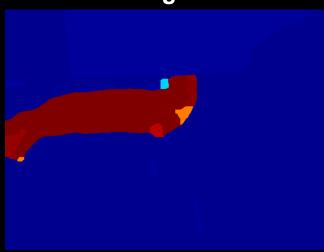
#### **Top-down Part/Object Detectors**

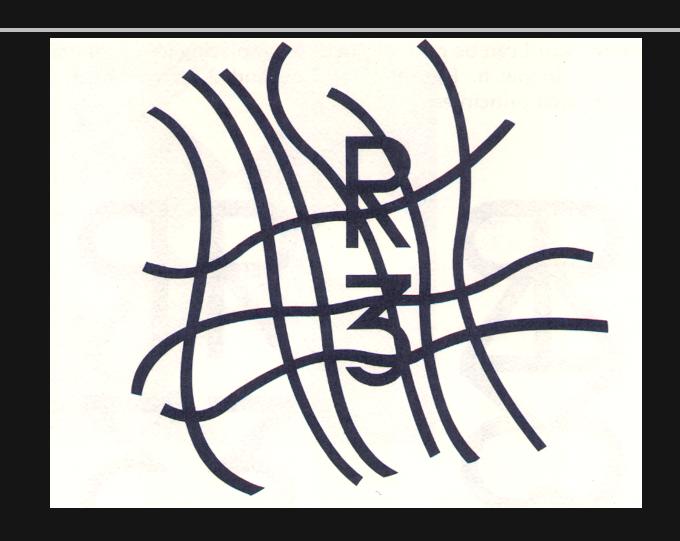


#### **Bottom-up Region Segmentation**



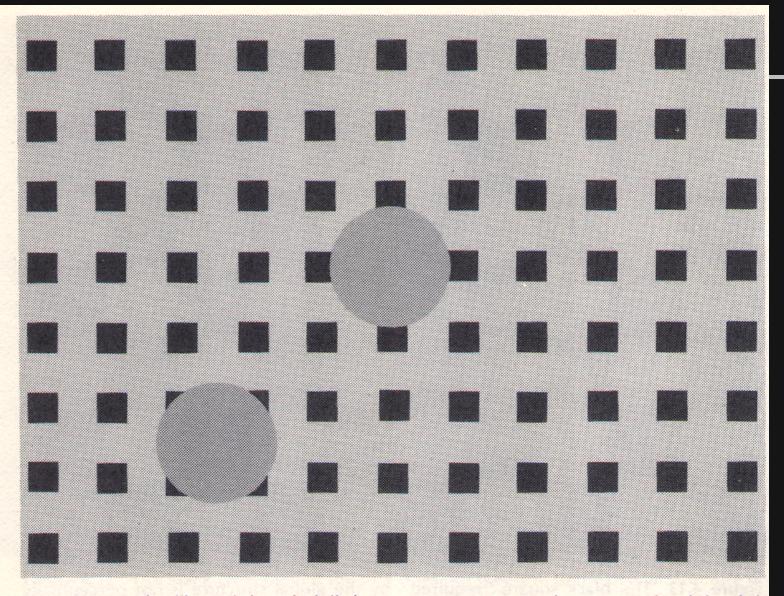
**Cat Segmenter** 





## M1+X0+X8+10X+18K1

## MITHOUTINGTIVATION



**Figure 4.15** The "law of the whole" does not impose upon the parts. Behind the disk there is a cross or a large square, but not the squares that are the elements of the regular array.

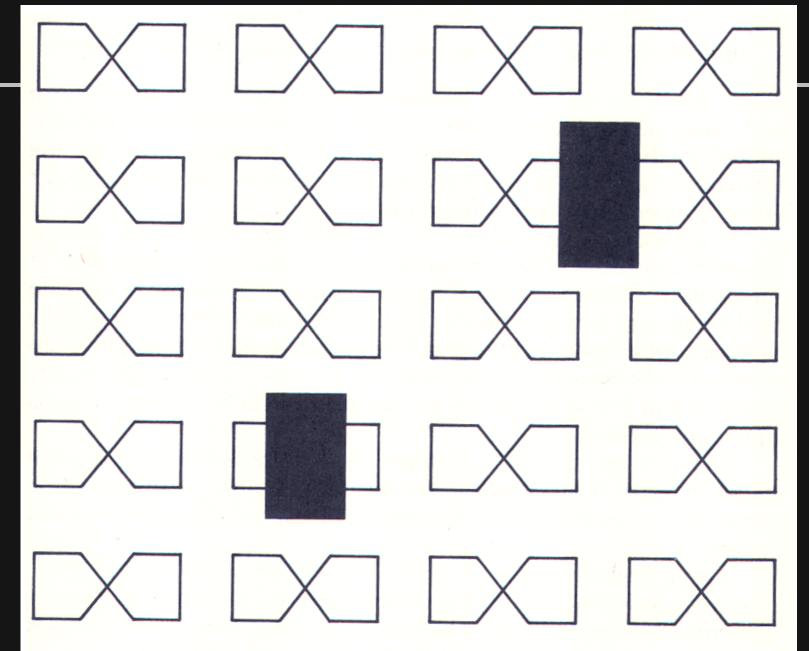
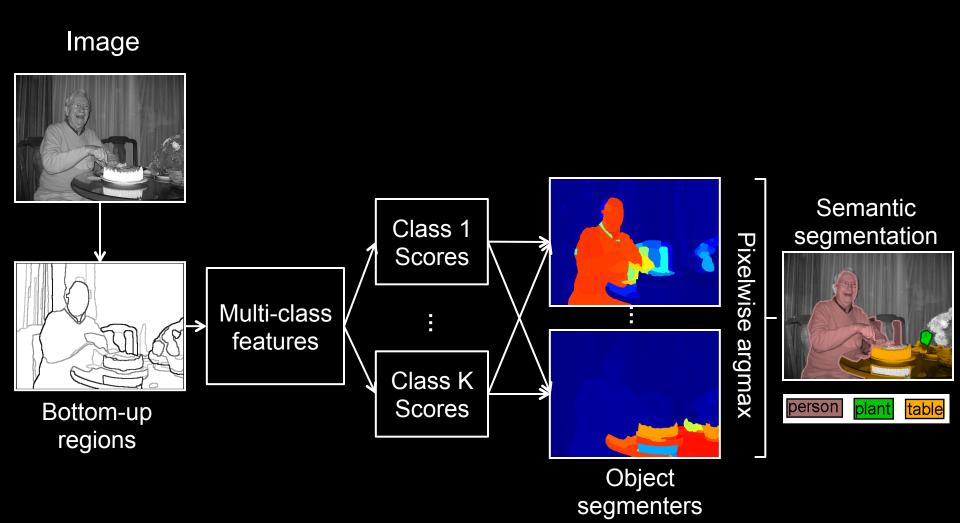


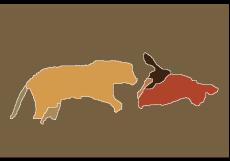
Figure 4.16 The totalization conforms to "local" conditions.

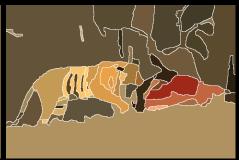
#### Overview

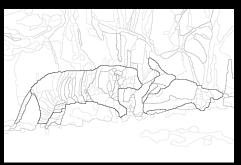


## Region Generation









- Hierarchical segmentation tree based on contrast
- Hierarchy computed at three image resolutions
- Nodes of the trees are object candidates, and also pairs and triplets of adjacent nodes
- Output: For each image, a set of ~1000 object candidates (connected regions)

																							indoors	
gPb-owt-ucm [4]	59.3	32.9	70.3	51.1	61.3	51.2	57.6	74.3	58.0	68.6	67.4	67.5	64.3	48.5	53.6	53.5	72.6	71.2	55.1	73.1	67.3	50.8	64.1	60.6
Our regions	76.7	41.6	84.0	74.2	77.2	<b>75.8</b>	74.9	85.2	69.6	<b>79.1</b>	82.9	82.4	75.9	69.6	74.4	70.4	80.3	83.2	76.5	85.1	80.2	69.9	<b>78.1</b>	76.0

## Results on PASCAL VOC

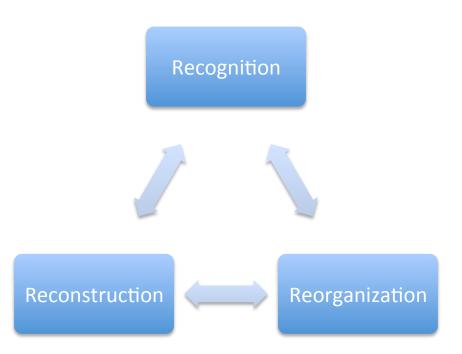


VOC(%)	[18]	[10]	[21]	[5]	SRL	UC3M	TTI	[23]	[9]	FULL	FULL
											+[14]
plane	51.6	59.0	31.0	52.6	38.8	45.9	36.7	49.4	43.8	50.2	48.1
bicycle	25.1	28.0	18.8	26.8	21.5	12.3	23.9	23.1	23.7	21.2	20.1
bird	52.4	44.0	19.5	37.7	13.6	14.5	20.9	19.2	30.4	38.8	42.2
boat	35.6	35.5	23.9	35.4	9.2	22.3	18.8	24.8	22.2	31.4	32.7
bottle	49.6	50.9	31.3	34.4	31.1	9.3	41.0	26.1	45.7	39.6	41.9
bus	66.7	68.0	53.5	63.3	51.8	46.8	62.7	52.4	56.0	58.9	58.0
car	55.6	53.5	45.3	61.0	44.4	38.3	49.0	44.9	51.9	52.1	52.5
cat	44.6	45.6	24.4	32.1	25.7	41.7	21.5	32.9	30.4	48.1	45.2
chair	10.6	15.3	8.2	11.9	6.7	0.0	8.3	6.5	9.2	7.7	9.2
cow	41.2	40.0	31.0	36.6	26.0	35.9	21.1	35.8	27.7	37.9	42.2
table	29.9	28.9	16.4	23.9	12.5	20.7	7.0	22.3	6.9	30.9	37.8
dog	25.5	33.5	15.8	33.7	12.8	34.1	16.4	25.5	29.6	36.4	36.6
horse	49.8	53.1	27.3	36.8	31.0	34.8	28.2	21.9	42.8	46.9	50.4
mbike	47.9	53.2	48.1	61.6	41.9	33.5	42.5	58.1	37.0	52.0	52.6
person	37.2	37.6	31.1	45.0	44.4	24.6	40.5	34.6	47.1	47.3	47.6
plant	19.3	35.8	31.0	26.6	5.7	4.7	19.6	26.8	15.1	24.9	28.7
sheep	45.0	48.5	27.5	40.5	37.5	25.6	33.6	39.9	35.1	51.9	49.0
sofa	24.4	23.6	19.8	20.4	10.0	13.0	13.3	17.5	23.0	26.1	25.2
train	37.2	39.3	34.8	43.8	33.2	26.8	34.1	38.0	37.7	36.4	41.5
tv	43.3	42.1	26.4	36.4	32.3	26.1	48.5	25.3	36.5	40.1	43.8
bgd	83.4	84.6	70.1	82.2	80.0	73.4	80.0	77.9	82.2	83.6	84.0
articulat	42.2	43.2	25.2	37.5	27.3	30.2	26.0	30.0	34.7	43.9	44.8
transp	45.7	48.1	36.5	49.2	34.4	32.3	38.2	41.5	38.9	43.2	43.7
indoors	29.5	32.8	22.2	25.6	16.4	12.3	23.0	20.8	22.7	28.2	31.1
mean	41.7	43.8	30.2	40.1	29.1	27.8	31.8	33.5	35.0	41.1	42.4



#### How to think about Vision

"Theory"



#### Models

- Feature Histograms
- Support Vector machines
- Randomized decision trees
- Spectral partitioning
- L1 minimization
- Stochastic Grammars
- Deep Learning
- Markov Random Fields

**—** ...

Thanks!